



Congratulations! You passed!

TO PASS 80% or higher

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100%

Numbers

TOTAL POINTS 5

1. How many decimal digits could be stored in a signed 32-bit integer variable (also known as **int** in C++ and Java)?

1 / 1 point

9

✓ Correct

Great! We could store any value from -2^{31} to $2^{31} - 1$ and so any nine-digit decimal number, because $10^9 < 2^{31} - 1$.

2. How many decimal digits could be stored in a signed 64-bit integer variable (also known as **long long** in C++ and **long** in Java)?

1 / 1 point

18

✓ Correct

Well done! We could store any value from -2^{63} to $2^{63} - 1$ and $2^{63} - 1$ is a bit larger than $9 \cdot 10^{18}$, so 18 decimal digits do fit while 19 don't.

3. Check all fragments of code, where the overflow **does** happen. The code is given in C++, consider **int** to be a 32-bit signed integer, and **long long** — a 64-bit signed integer.

1 / 1 point



```
1 cout << (long long)10000 * 1000 * 10000 << '\n';
```



```
1 int a = 100;  
2 int b = 100000000;  
3 cout << a * b << '\n';
```

✓ Correct

The product is 10^{10} and this is more than 2 billion.

The product is 10^{11} , and this is way more than 2 billion.



```
1 int n = 10000;  
2 int m = 1000;  
3 int res = 0;  
4 for (int i = 1; i <= n; ++i) {  
5     res += i;  
6 }  
7 cout << res * m << '\n';
```

✓ Correct

The sum of integers from 1 to N is about $N^2/2$, and so the final value is close to $5 \cdot 10^{10}$, which is too large for an int.



```
1 long long n = 100 * 1000;  
2 long long m = 1000 * 1000;  
3 long long res = 0;  
4  
5 for (int i = 0; i < n; ++i) {  
6     for (int j = 0; j < m; ++j) {  
7         res += 1000 * 1000;  
8     }  
9 }  
10  
11 cout << res * 1000 << '\n';
```

✓ Correct

The total value would be 10^{20} , and that is too large even for a long long — the maximal value for it is about $9 \cdot 10^{18}$.



```
1 int n = 100000;  
2 int m = 100;  
3 int res = 0;  
4 for (int i = 1; i <= n; ++i) {  
5     res += n / i;  
6 }  
7 cout << res * m << '\n';
```

4. How many decimal digits of **precision** could be stored in a **double** variable?

1 / 1 point

- 12
- 18
- 7
- 15

✓ Correct

Yes! There are 52 precision bits, and the first one is free, so 53 bits in total, and 2^{53} is just about $9 \cdot 10^{15}$.

5. Imagine that you should output a floating point number as the answer to some problem, and the statement says that the absolute or relative difference to the correct answer should be no more than 10^{-3} . Check those answer/output pairs, where the output would be accepted as correct, according to this rule.

1000000.0 and 999013.0

✓ **Correct**

The absolute difference is about thousand, but relative to 1000000 it's less than 0.001 — so the output would be accepted, as it suffices if only one of the differences is small enough.

5000.0 and 4982.76

1.0 and 0.9991

✓ **Correct**

The difference is less than 0.001, and it's both the absolute and the relative difference, because in the latter we divide on 1.

0.0001 and 0.0009812

✓ **Correct**

Both numbers aren't greater than 0.001 and are positive, so their absolute difference is surely smaller. Their relative difference is about 0.019 — but that's no problem, as it suffices if only one of them is small enough.